



1. (2 points) A load connected across a 120V AC rms line absorbs 1800 Watts and 480 VARs. Calculate its current.

- C**
- a. 15 Amps
  - b. 4.0 Amps
  - c. 15.5 Amps
  - d. 64 mAmps
  - e. Other \_\_\_\_\_

$$j := \sqrt{-1}$$

$$I_1 := \frac{(1800 + j \cdot 480) \cdot V \cdot A}{120 \cdot V} = (15 + 4j) A \quad |I_1| = 15.524 A$$

2. (1 point) A 120V AC rms voltage source supplies an electrical load that is entirely resistive. A typical hair dryer is often modeled as such a load. Such loads usually have a selector switch to allow the user to change the resistance value. If the user doubles the resistance value, the electrical power converted to heat

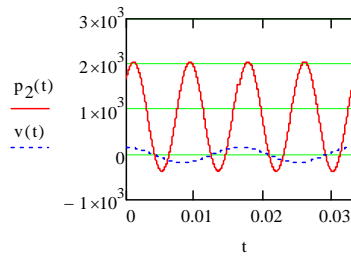
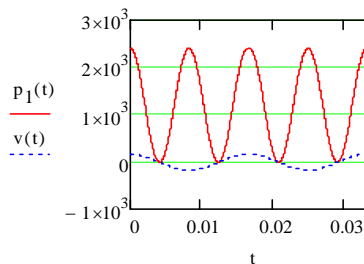
- D**
- a. doubles
  - b. increases by a factor of four
  - c. decreases by a factor of four
  - d. is halved.
  - e. Other \_\_\_\_\_

$$P = \frac{V^2}{R}$$

3. (1 point) A 120V AC rms voltage source supplies an electrical load with a known power factor. At a certain time, the power and voltage waveforms are as shown in the left graph below. An hour later, the power and voltage waveforms have changed to the waveforms shown on the right. From these waveforms, we see that

- A**
- a. The power factor decreased
  - b. The power factor increased
  - c. The power factor merely changed from lagging to leading but has the same numerical value
  - d. The power factor did not change

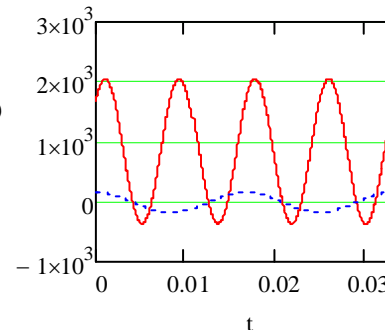
The average power decreases while the double frequency term retains the same amplitude. This means that the power factor decreased.



4. (1 point) For the plot of power vs. time as shown below (it's the same as the plot on the right in problem 2), the real power absorbed by the load is approximately

- B**
- a. 2000 Watts
  - b. 800 Watts
  - c. Zero
  - d. -300 Watts
  - e. Other \_\_\_\_\_

The average value of this power waveform is about 800 Watts.



5. (1 point) A 120V AC rms voltage source with a  $(0.2+j1.0)\Omega$  source impedance supplies a certain load. The load impedance can be varied as we specify. At what impedance will the load absorb maximum real power?

- C**
- a. 0.02 Ohms
  - b.  $j1.0$  Ohms
  - c.  $1.020 \angle -78.7^\circ$  Ohms
  - d.  $1.020 \angle +78.7^\circ$  Ohms
  - e. Other \_\_\_\_\_

The impedance that gives maximum power transfer is the complex conjugate of the source impedance.

6. (1 point) What is the maximum power that the load in problem 5 absorbs?

- A**
- a. 18kW
  - b. 5.9 kW
  - c. 12.7kW
  - d. 6.02kW
  - e. Other \_\_\_\_\_

$$I_6 := \frac{(120 \cdot V)}{0.2 \cdot \Omega + j \cdot 1 \cdot \Omega + 0.2 \cdot \Omega - j \cdot 1 \cdot 0 \cdot \Omega} = 300 \text{ A} \quad P_6 := (|I_6|)^2 \cdot (0.2 \cdot \Omega) = 18 \cdot \text{kW}$$

1. (3 points) Two electrical loads absorb power from a single 480V AC rms voltage source. The first electrical load absorbs 20kW at a power factor of 0.92 lagging. The second electrical load draws a current of 40 Amps that lags the voltage by 20 degrees. Find the real and reactive power that the sum of the two loads draws.

$$V_7 := 480 \cdot V \quad P_{71} := 20 \cdot \text{kW} \quad \text{pf}_{71} := 0.92 \cdot \text{lagging} \quad I_{72} := 40 \cdot e^{-j \cdot 20 \cdot \text{deg}} \cdot A \quad j := \sqrt{-1} \quad \text{lagging} := 1 \quad \text{kVAr} := \text{kV} \cdot A$$

$$S_{71} := \frac{P_{71}}{\text{pf}_{71}} = 21.739 \cdot \text{kV} \cdot A \quad \theta_{71} := \text{acos}(\text{pf}_{71}) = 23.074 \cdot \text{deg} \quad \underline{S_{72}} := S_{71} \cdot e^{j \cdot \theta_{71}} = (20 + 8.52i) \cdot \text{kV} \cdot A$$

$$S_{72} := V_7 \cdot \overline{I_{72}} = (18.042 + 6.567i) \cdot \text{kV} \cdot A \quad S_7 := S_{71} + S_{72} = (38.042 + 15.087i) \cdot \text{kV} \cdot A$$

$$P_7 := \text{Re}(S_7) = 38.042 \cdot \text{kW} \quad Q_7 := \text{Im}(S_7) = 15.087 \cdot \text{kVAr}$$