

ECE 404-TD / 504-TD

**ST: T&D APPLICATIONS OF
VOLTAGE SOURCE CONVERTERS**

SESSION no. 33

1. Implement a 3D VSC
→ averaged model } open loop
-switches, model } control
2. Given commands $\Delta P, \Delta Q$ on change in V_{DC} & ΔI_{AC}
In ATP on EmrDC - measure P, Q
 - determine current set points
 - i_A, i_d, i_B or i_d, i_q
3. ECE 504 students : closed loop control
NPC converts in ATP/EmrDC

L3
2/n

Three Phase Phase VSC Locked Loop (PLL)

Cases where synchronization is needed

- Non-PWM switching schemes
- Synchronous PWM switching schemes
- When control loop operates in the synchronous DQ reference frame
- Control loop for $\alpha-\beta$ may or may not need synchronizing reference
 - Frequency comes along with measured α and β terms
 - May need depending on method for determining current references

Park's Transform Based PLL → commonly applied scheme

- Measured voltages

$$v_{sd} = \underline{V_s} \cdot \cos(\omega_0 \cdot t + \theta_0 - \underline{\rho(t)})$$

$$v_{sq} = \underline{V_s} \cdot \sin(\omega_0 \cdot t + \theta_0 - \underline{\rho(t)})$$

not rotating ref frame

- Output current equations in transformed domain

$$L \cdot \left(\frac{d}{dt} i_d \right) = L \cdot \underline{\omega(t)} \cdot i_q - (R + r_{on}) \cdot i_d + (v_{td} - v_{sd})$$

$$L \cdot \left(\frac{d}{dt} i_q \right) = L \cdot \underline{\omega(t)} \cdot i_d - (R + r_{on}) \cdot i_q + (v_{tq} - v_{sq})$$

$$\frac{d}{dt} \underline{\rho(t)} = \underline{\omega(t)}$$

switching device resistance - conduction loss

- The choice of $\rho(t)$ makes a big difference. If it 0, stay in $\alpha-\beta$ frame (no rotation)
- In this case we want:

$$\underline{\rho(t)} = \underline{\omega_0 \cdot t + \theta_0}$$

or another angle

- Then $\frac{d}{dt} \underline{\rho(t)} = \underline{\omega_0}$
- If this is the case, then

$$v_{sq} = 0 \quad \text{and} \quad v_{sd} = V_s$$

- Design a feedback controller to regulate v_{sq} to be 0

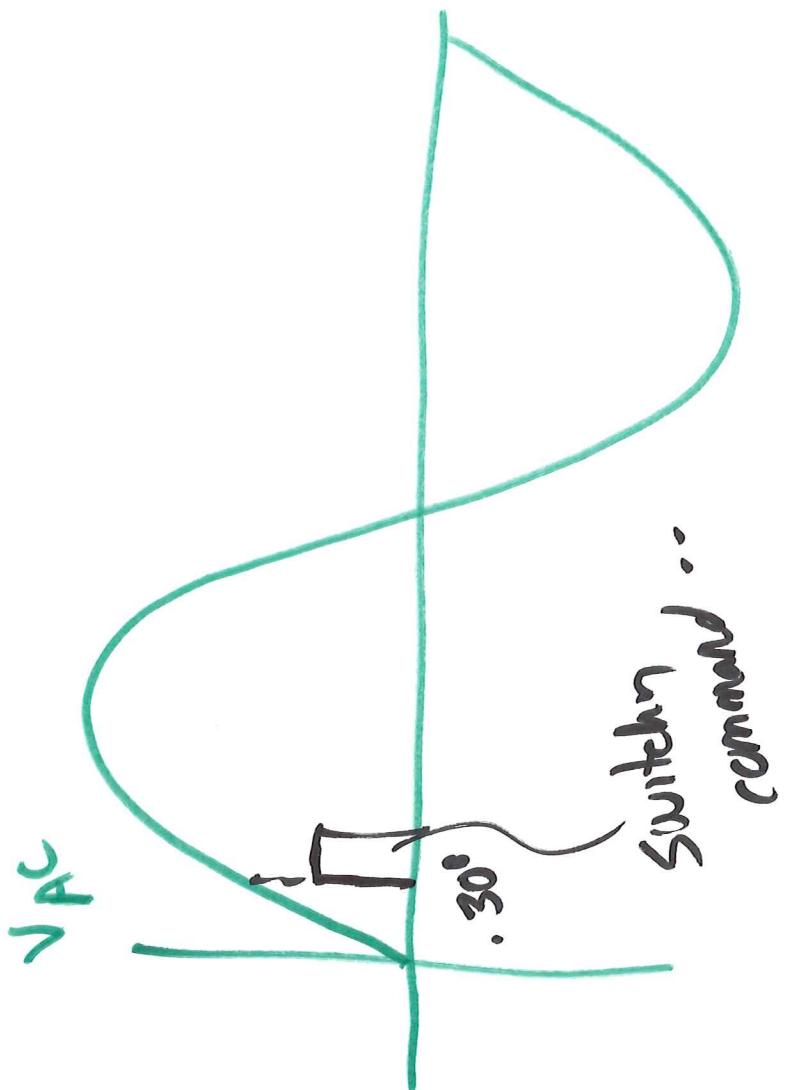
$$\underline{\omega(t)} = H(p) \cdot \underline{v_{sq}(t)} \quad \text{where } H(p) \text{ is a linear transfer function}$$

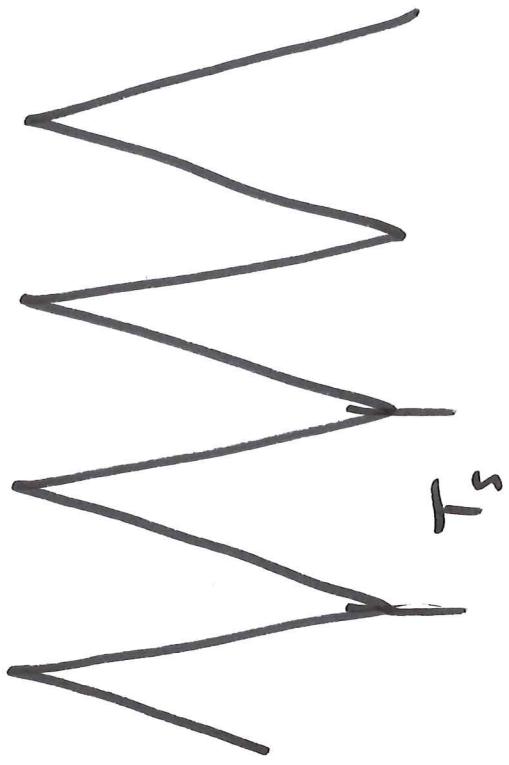
Von of
the device
is ignored
because small

use voltage
synchronizing to as
reference

L33 3λ

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$$\zeta_s = \frac{1}{T_s}$$

For relative low

Pump frequencies

to have

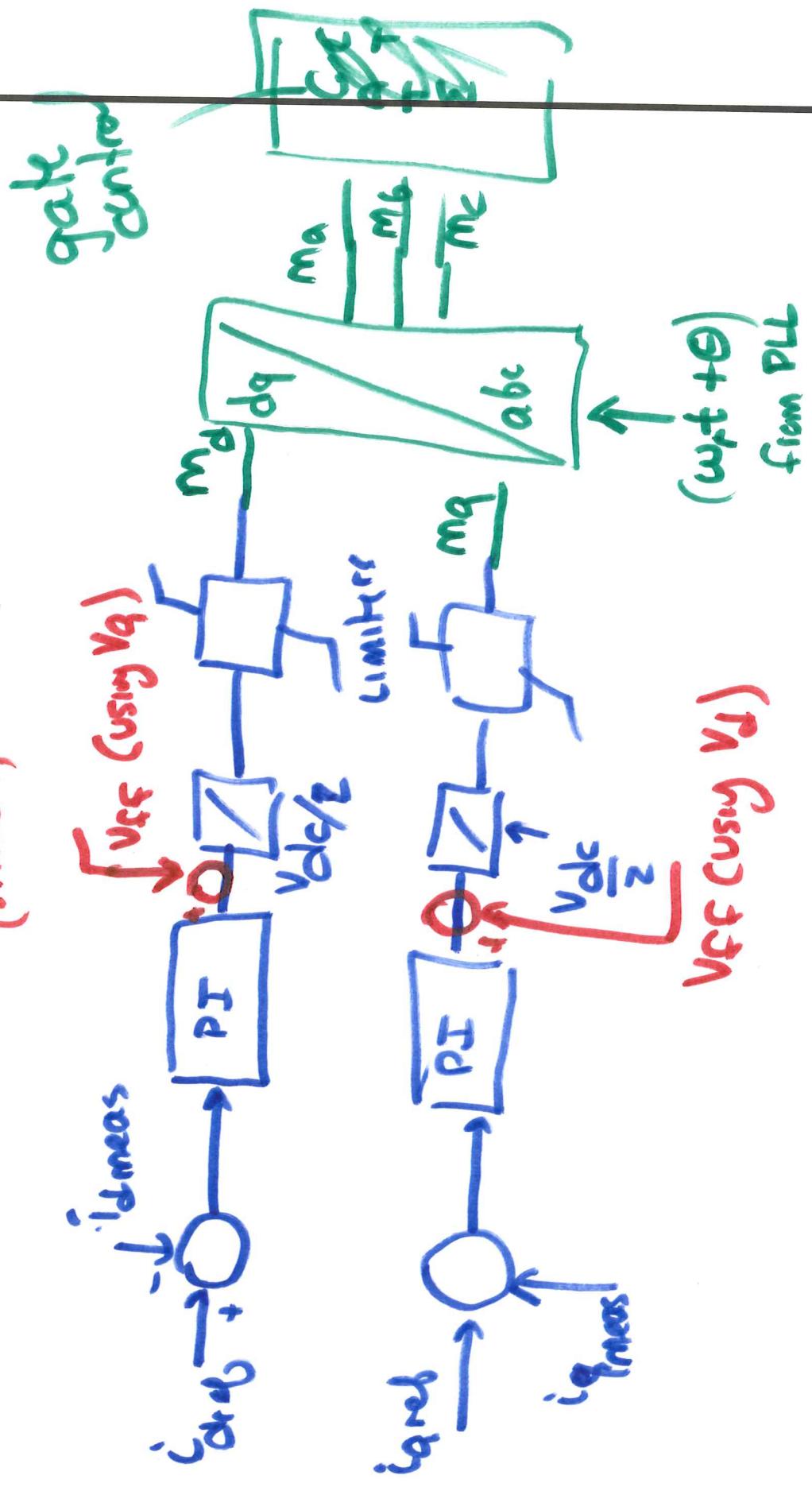
$$\zeta_s = \frac{f^o}{f}$$

↑

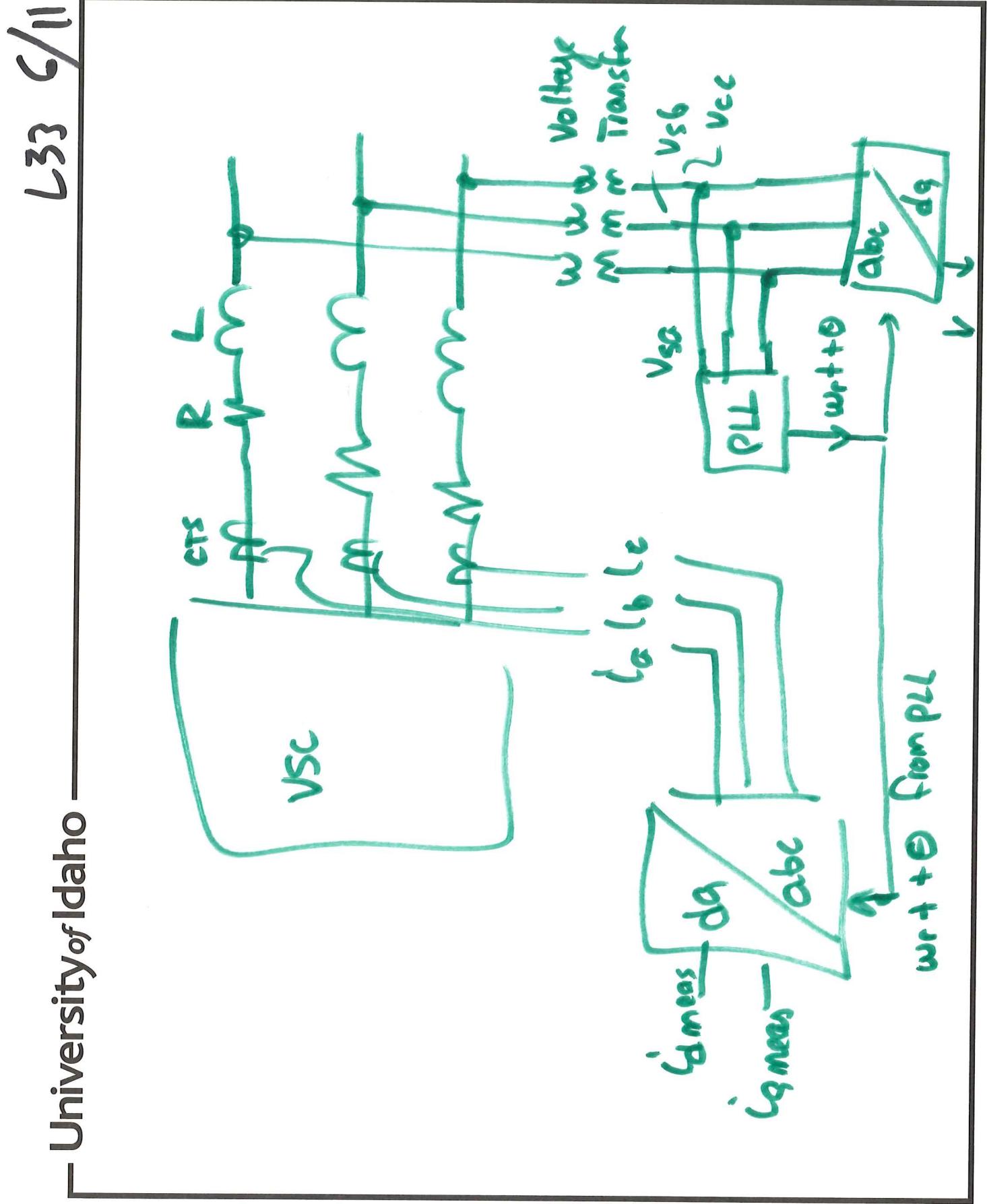
Power system can

prob-
abilis-

3qo VSC controller (inner)



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- Start it out from $\omega(0) = \omega_0$
- Limit frequency range to narrow variation from $\omega_{\min} < \omega < \omega_{\max}$

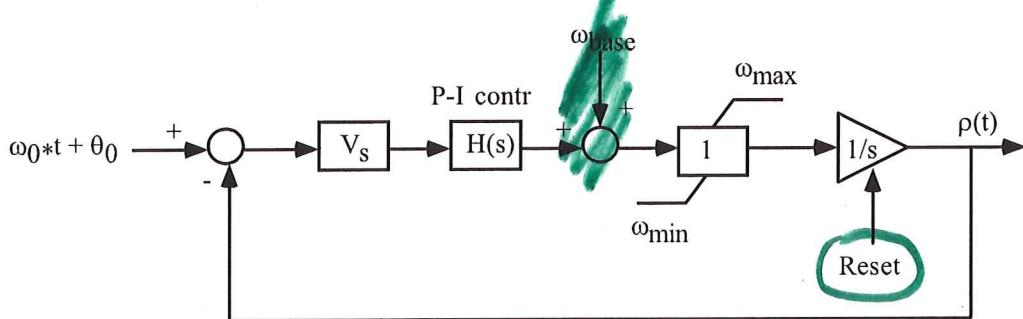
- Small frequency variations imply

$$\sin(\omega_0 \cdot t + \theta_0 - \rho(t)) \text{ approximately } (\omega_0 \cdot t + \theta_0 - \rho(t))$$

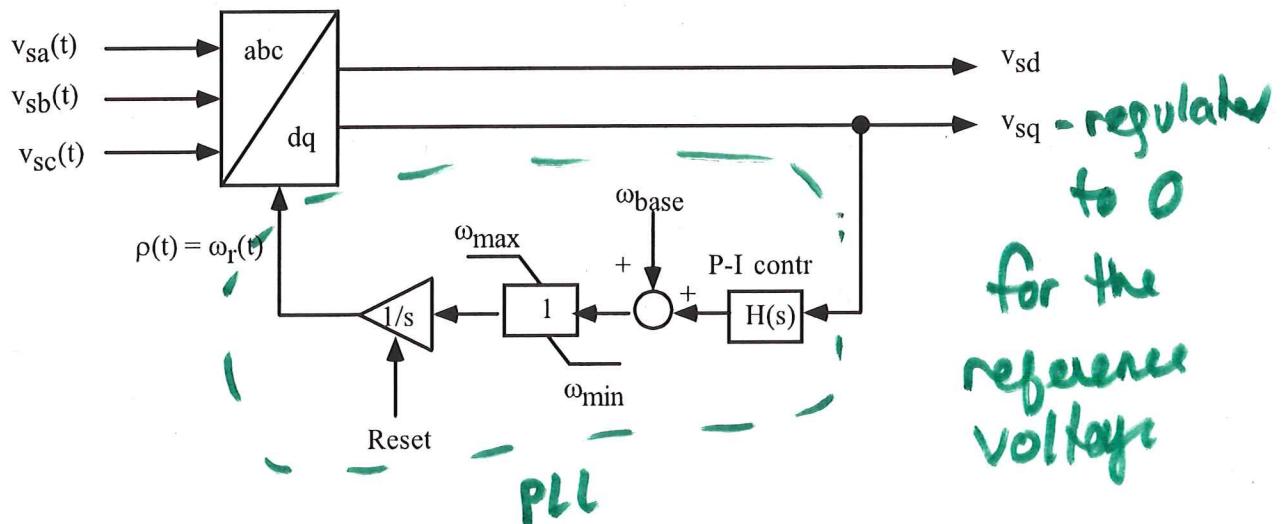
which simplifies control loop design

$$\frac{d}{df} \rho(t) = V_s \cdot H(p) \cdot (\omega_0 \cdot t + \theta_0 - \rho(t))$$

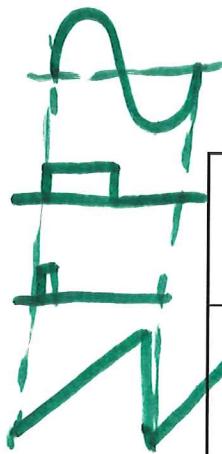
- Basic control diagram:



- Three phase implementation:



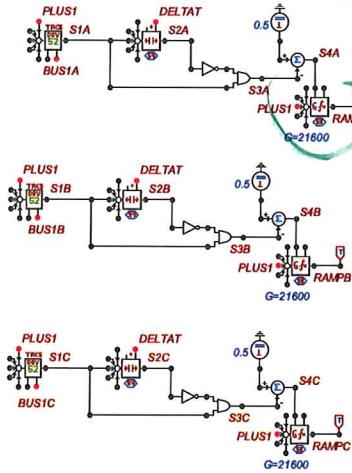
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ATPDraw Implementation: Simple Zero Crossing Based : Three Phase

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Synchronization

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Phase Correction

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- Create an orthogonal pair of vectors
 - » Park's transformation if three phase measurement
 - » Phase rotation (delay) if single phase input
 - Need instantaneous angle reference ($\omega_r t = \theta_r$)
 - Phase Error = $-V_d \sin(\theta_r) + V_q \cos(\theta_r)$

Synchronization

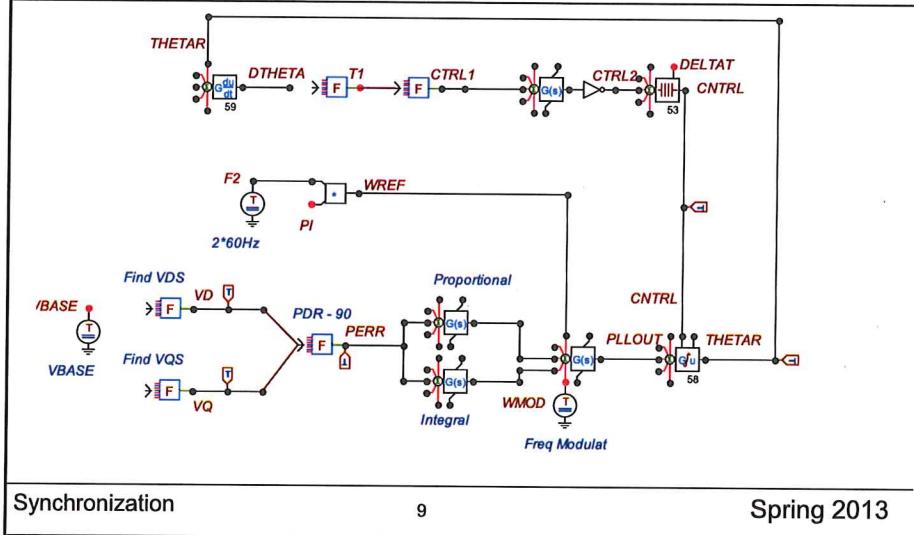
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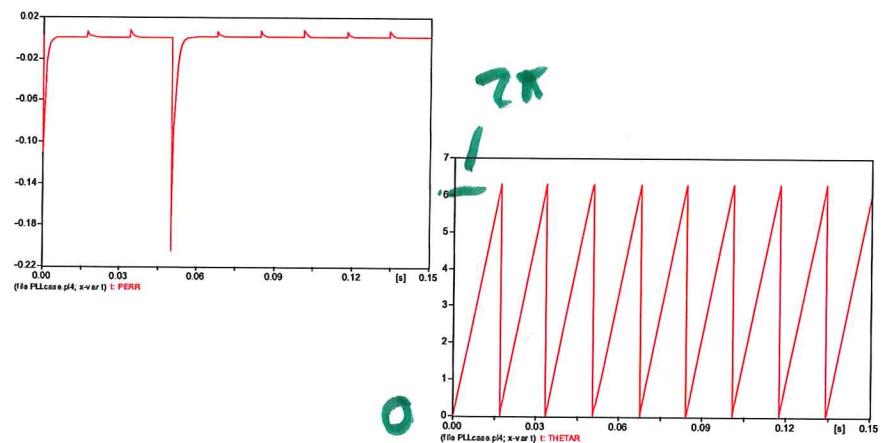
U_I ATPDraw Implementation: Phase Locked Loop: Phase A

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U_I PERR and THETAR with phase jump due to load change

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Synchronization 10 Spring 2013

