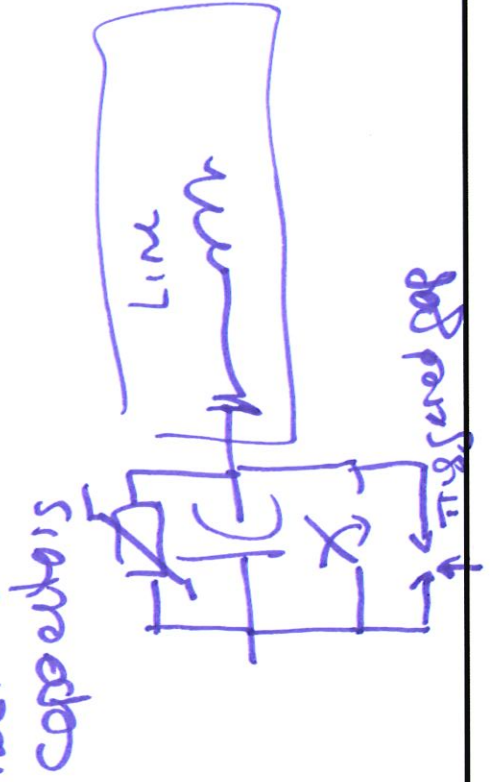


ECE 523
Symmetrical Components

Session 19

Series faults

- one phase open
 - intentional - single pole tripping
 - breaker failure to close
- general series imbalance
 - one phase different than other two
 - most common cases are with series capacitors

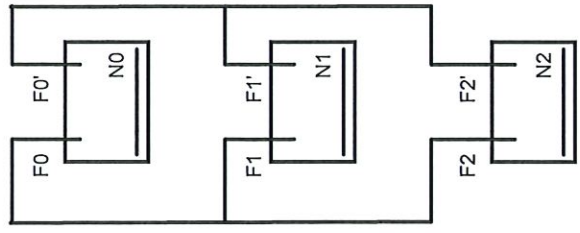


- Two poles oper
- breaker failure

TO ~~ate~~ analyze series faults
you must model power flow

L19 3/18

Now solve for the single phase open circuit currents and voltages:



$$I_1 := \frac{V_{\text{equiv}}}{Z_{1FF'} + \left(\frac{1}{Z_{2FF'}} + \frac{1}{Z_{0FF'}} \right)^{-1}}$$

$$I_2 := -I_1 \cdot \left(\frac{Z_{0FF'}}{Z_{2FF'} + Z_{0FF'}} \right)$$

$$I_0 := -I_1 \cdot \left(\frac{Z_{2FF'}}{Z_{2FF'} + Z_{0FF'}} \right)$$

Problem 0.8 -31.79 mA

$$I_{\text{abc}} := A_{012} \cdot \begin{pmatrix} I_0 \\ I_1 \\ I_2 \end{pmatrix}$$

$$\vec{I}_{\text{abc}} = \begin{pmatrix} 0 \\ 0.76 \\ 0.76 \end{pmatrix} \cdot \text{pu}$$

$$I_1 = (0.43 - 0.26i) \cdot \text{pu}$$

$$|I_1| = 0.5 \cdot \text{pu} \quad \arg(I_1) = -31.79 \cdot \text{deg}$$

$$I_2 = (-0.25 + 0.16i) \cdot \text{pu}$$

$$|I_2| = 0.3 \cdot \text{pu} \quad \arg(I_2) = 148.21 \cdot \text{deg}$$

$$I_0 = (-0.17 + 0.11i) \cdot \text{pu}$$

$$|I_0| = 0.2 \cdot \text{pu} \quad \arg(I_0) = 148.21 \cdot \text{deg}$$

$$\arg(I_{\text{abc}1}) = -145.57 \cdot \text{deg}$$

$$\arg(I_{\text{abc}2}) = 82 \cdot \text{deg}$$

Using the right have the sequence equivalent circuits:

$$V_{3\text{new}1} := E_2 + I_1 \cdot j \cdot (X_{1\text{Mach}} + X_T) \quad |V_{3\text{new}1}| = 0.96 \cdot \text{pu} \quad \arg(V_{3\text{new}1}) = -4.25 \cdot \text{deg}$$

$$V_{3\text{new}2} := 0 + I_2 \cdot j \cdot (X_{2\text{Mach}} + X_T) \quad |V_{3\text{new}2}| = 0.08 \cdot \text{pu} \quad \arg(V_{3\text{new}2}) = -121.79 \cdot \text{deg}$$

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$$V_{3new0} := 0 + I_0 \cdot j \cdot (X_{0Mach} + X_T + 3 \cdot X_{nMach}) \quad |V_{3new0}| = 0.05 \cdot pu \quad \arg(V_{3new0}) = -121.79 \cdot deg$$

$$V_{3newABC} := A_{012} \cdot \begin{pmatrix} V_{3new0} \\ V_{3new1} \\ V_{3new2} \end{pmatrix} \quad |V_{3newABC}| = \begin{pmatrix} 0.9 \\ 0.97 \\ 1.01 \end{pmatrix} \cdot pu \quad \arg(V_{3newABC}) = \begin{pmatrix} -12.06 \\ -119.95 \\ 118.58 \end{pmatrix} \cdot deg$$

$$\Delta V_{ABC} := 1.0 \cdot \begin{pmatrix} 1 \\ a^2 \\ a \end{pmatrix} - V_{3newABC} \quad \begin{matrix} |\Delta V_{ABC}| = \begin{pmatrix} 0.22 \\ 0.03 \\ 0.03 \end{pmatrix} \\ \arg(\Delta V_{ABC}) = \begin{pmatrix} 58.21 \\ -121.79 \\ -121.79 \end{pmatrix} \cdot deg \end{matrix}$$

Solve using Zbus method. First get the Zbus matrices for the positive, negative and zero sequence networks:

$$Y_{bus1} := \begin{pmatrix} \frac{1}{j \cdot X_{1Mach}} + \frac{1}{j \cdot X_T} & -\frac{1}{j \cdot X_T} & 0 & 0 \\ -\frac{1}{j \cdot X_T} & \frac{1}{j \cdot X_T} + \frac{1}{j \cdot X_{L1}} & -\frac{1}{j \cdot X_{L1}} & 0 \\ 0 & \frac{-1}{j \cdot X_{L1}} & \frac{1}{j \cdot X_T} + \frac{1}{j \cdot X_{L1}} & -\frac{1}{j \cdot X_T} \\ 0 & 0 & -\frac{1}{j \cdot X_T} & \frac{1}{j \cdot X_{1Mach}} + \frac{1}{j \cdot X_T} \end{pmatrix} \quad Z_{bus1} := Y_{bus1}^{-1}$$

Standard Zbus method

$$Z_{bus2} := Z_{bus1}$$

$$Y_{bus0} := \begin{pmatrix} \frac{1}{j \cdot X_{0Mach} + 3 \cdot j \cdot X_{nMach}} + \frac{1}{j \cdot X_T} & -\frac{1}{j \cdot X_T} & 0 & 0 \\ -\frac{1}{j \cdot X_T} & \frac{1}{j \cdot X_T} + \frac{1}{j \cdot X_{L0}} & -\frac{1}{j \cdot X_{L0}} & 0 \\ 0 & \frac{-1}{j \cdot X_{L0}} & \frac{1}{j \cdot X_T} + \frac{1}{j \cdot X_{L0}} & -\frac{1}{j \cdot X_T} \\ 0 & 0 & -\frac{1}{j \cdot X_T} & \frac{1}{j \cdot X_{0Mach} + 3 \cdot j \cdot X_{nMach}} + \frac{1}{j \cdot X_T} \end{pmatrix}$$

1 2 3 4

$Z_{bus0} := Y_{bus0}^{-1}$

Reset origin for matrices and vectors: ORIGIN := 1 (default origin = 0)

Equivalent impedances looking into the network from the open segment. See section 12.6 in the book by Grainger and Stevenson or 6.6.4 in the Tlies, 1st edition or 7.6.4 in Tleis 2nd edition.

Series of impedances

$$Z_{1pp'} := \frac{-(j \cdot X_{L1})^2}{Z_{bus1_{2,2}} + Z_{bus1_{3,3}} - 2 \cdot Z_{bus1_{2,3}} - j \cdot X_{L1}}$$

From above: $Z_{1pp'} = 0.71i \cdot pu$ $Z_{1total} = 0.71i \cdot pu$

- Notice that: the demonator has the Thevenin impedance at the bus on either side of the open condition, and subtracts the transfer impedance and the line impedance.

$Z_{2pp'} := Z_{1pp'}$

$$Z_{0pp'} := \frac{-(j \cdot X_{L0})^2}{Z_{bus0_{2,2}} + Z_{bus0_{3,3}} - 2 \cdot Z_{bus0_{2,3}} - j \cdot X_{L0}}$$

From above: $Z_{0pp'} = 1.04i \cdot pu$ Same as calculated above
 $Z_{0total} = 1.04i \cdot pu$

Thevenin part of

L19 6/18

Find the sequence currents based on the prefault load current:

$$I_{1aopen} := I_{trans} \cdot \frac{Z_{1pp'}}{Z_{1pp'} + \left(\frac{1}{\frac{1}{Z_{0pp'}} + \frac{1}{Z_{2pp'}}} \right)^{-1}}$$

$$|I_{1aopen}| = 0.5 \cdot pu \quad \arg(I_{1aopen}) = -31.79 \cdot deg$$

same as above.

$$|I_1| = 0.5 \cdot pu \quad \arg(I_1) = -31.79 \cdot deg$$

$$I_{2aopen} := -I_{1aopen} \cdot \left(\frac{Z_{0pp'}}{Z_{2pp'} + Z_{0pp'}} \right)$$

$$|I_{2aopen}| = 0.3 \cdot pu \quad \arg(I_{2aopen}) = 148.21 \cdot deg$$

same as above.

$$|I_2| = 0.3 \cdot pu \quad \arg(I_2) = 148.21 \cdot deg$$

$$I_{0aopen} := -I_{1aopen} \cdot \left(\frac{Z_{2pp'}}{Z_{2pp'} + Z_{0pp'}} \right)$$

$$|I_{0aopen}| = 0.2 \cdot pu \quad \arg(I_{0aopen}) = 148.21 \cdot deg$$

same as above.

$$|I_0| = 0.2 \cdot pu \quad \arg(I_0) = 148.21 \cdot deg$$

$$I_{ABC_Line_Aopen} := A_{012} \cdot \begin{pmatrix} I_{0aopen} \\ I_{1aopen} \\ I_{2aopen} \end{pmatrix}$$

$$|I_{ABC_Line_Aopen}| = \begin{pmatrix} 0 \\ 0.7571 \\ 0.7571 \end{pmatrix} \cdot pu$$

$$\arg(I_{ABC_Line_Aopen}) = \begin{pmatrix} -26.57 \\ -145.57 \\ 82 \end{pmatrix} \cdot deg$$

Sequence voltages across the open circuit (based on the sequence connection for 1 phase open):

$$V_{1Aopen} := I_{1aopen} \cdot \frac{Z_{2pp'} \cdot Z_{0pp'}}{Z_{2pp'} + Z_{0pp'}}$$

$$|V_{1Aopen}| = 0.21 \cdot pu \quad \arg(V_{1Aopen}) = 58.21 \cdot deg$$

Since the positive, negative and zero sequence voltages are equal for the phase A open case:

$$V_{2Aopen} := V_{1Aopen} \quad V_{0Aopen} := V_{1Aopen}$$

$$V_{1Aopen} = V_{0puv} - I_1 Z_{1pp'}$$

same approach for lines

L19 7/18

Calculate change in voltage at each bus due to the open

Current flows with fault for line with series fault

Problem 10.10

$$\begin{pmatrix} 0 \\ \frac{V_{1Aopen}}{j \cdot X_{L1}} \\ -\frac{V_{1Aopen}}{j \cdot X_{L1}} \\ 0 \end{pmatrix}$$

- Positive injection for sending end of line with series fault
- Negative injection for receiving end of line with series fault

$$\Delta V_{1A_Open} := Z_{bus1} \cdot$$

$$V_{1A_Open} := \begin{pmatrix} V_1 \\ V_2 \\ V_3 \\ V_4 \end{pmatrix} + \Delta V_{1A_Open}$$

with open buses at ends of line

$$|V_{1A_Open}| = \begin{pmatrix} 1.15 \\ 1.12 \\ 0.96 \\ 0.94 \end{pmatrix} \cdot pu$$

$$\arg(V_{1A_Open}) = \begin{pmatrix} 10.4 \\ 8.88 \\ -4.25 \\ -6.41 \end{pmatrix} \cdot deg$$

$$V_{2A_Open} := Z_{bus2} \cdot \begin{pmatrix} 0 \\ \frac{V_{2Aopen}}{j \cdot X_{L2}} \\ -\frac{V_{2Aopen}}{j \cdot X_{L2}} \\ 0 \end{pmatrix}$$

$$|V_{2A_Open}| = \begin{pmatrix} 0.06 \\ 0.08 \\ 0.08 \\ 0.06 \end{pmatrix} \cdot pu$$

$$\arg(V_{2A_Open}) = \begin{pmatrix} 58.21 \\ 58.21 \\ -121.79 \\ -121.79 \end{pmatrix} \cdot deg$$

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$$V_{0A_Open} := Z_{bus0} \cdot \begin{pmatrix} 0 \\ \frac{V_{0Aopen}}{j \cdot X_{L0}} \\ -\frac{V_{0Aopen}}{j \cdot X_{L0}} \\ 0 \end{pmatrix} \rightarrow \overrightarrow{V_{0A_Open}} = \begin{pmatrix} 0.04 \\ 0.05 \\ 0.05 \\ 0.04 \end{pmatrix} \cdot pu$$

$$\overrightarrow{\arg(V_{0A_Open})} = \begin{pmatrix} 58.21 \\ 58.21 \\ -121.79 \\ -121.79 \end{pmatrix} \cdot deg$$

Calculate Transformer T1 Current:

$$I_{T1_Aopen} := \frac{V_{1A_Open1} - V_{1A_Open2}}{j \cdot X_T}$$

$$I_{T2_Aopen} := \frac{V_{2A_Open1} - V_{2A_Open2}}{j \cdot X_T}$$

$$I_{T0_Aopen} := \frac{V_{0A_Open1} - V_{0A_Open2}}{j \cdot X_T}$$

$$I_{ABC_T1_Aopen} := A_{012} \cdot \begin{pmatrix} I_{T0_Aopen} \\ I_{T1_Aopen} \\ I_{T2_Aopen} \end{pmatrix} \rightarrow \overrightarrow{I_{ABC_T1_Aopen}} = \begin{pmatrix} 0 \\ 0.7571 \\ 0.7571 \end{pmatrix} \cdot pu$$

$$\overrightarrow{\arg(I_{ABC_T1_Aopen})} = \begin{pmatrix} 97.99 \\ -145.57 \\ 82 \end{pmatrix} \cdot deg$$

Same as above

- Approach can be used on any branch except the one with the series fault.

Same approach as fault

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$$V_{3ABC_Aopen} := A_{012} \cdot \begin{pmatrix} V_{0A_Open_3} \\ V_{1A_Open_3} \\ V_{2A_Open_3} \end{pmatrix}$$

$$\overline{|V_{3ABC_Aopen}|} = \begin{pmatrix} 0.9 \\ 0.97 \\ 1.01 \end{pmatrix} \cdot pu$$

$$\overline{\arg(V_{3ABC_Aopen})} = \begin{pmatrix} -12.06 \\ -119.95 \\ 118.58 \end{pmatrix} \cdot deg$$

Alternate approach to get just the change in voltage at Bus 3:

$$\Delta V_{3_1aopen} := \left(\frac{Z_{bus1_{3,2}} - Z_{bus1_{3,3}}}{j \cdot X_{L1}} \right) \cdot V_{1Aopen} \quad |\Delta V_{3_1aopen}| = 0.0835 \cdot pu \quad \arg(\Delta V_{3_1aopen}) = -121.79 \cdot deg$$

$$\Delta V_{3_2aopen} := \left(\frac{Z_{bus2_{3,2}} - Z_{bus2_{3,3}}}{j \cdot X_{L2}} \right) \cdot V_{2Aopen} \quad |\Delta V_{3_2aopen}| = 0.0835 \cdot pu \quad \arg(\Delta V_{3_2aopen}) = -121.79 \cdot deg$$

$$\Delta V_{3_0aopen} := \left(\frac{Z_{bus0_{3,2}} - Z_{bus0_{3,3}}}{j \cdot X_{L0}} \right) \cdot V_{0Aopen} \quad |\Delta V_{3_0aopen}| = 0.055 \cdot pu \quad \arg(\Delta V_{3_0aopen}) = -121.79 \cdot deg$$

$$\Delta V_{3ABC} := A_{012} \cdot \begin{pmatrix} \Delta V_{3_0aopen} \\ \Delta V_{3_1aopen} \\ \Delta V_{3_2aopen} \end{pmatrix}$$

$$\overline{|\Delta V_{3ABC}|} = \begin{pmatrix} 0.22 \\ 0.03 \\ 0.03 \end{pmatrix} \cdot pu$$

$$\overline{\arg(\Delta V_{3ABC})} = \begin{pmatrix} -121.79 \\ 58.21 \\ 58.21 \end{pmatrix} \cdot deg$$

$$V_{3ABC_aopen} := 1.0 \cdot \begin{pmatrix} 1 \\ a^2 \\ a \end{pmatrix} + \Delta V_{3ABC}$$

$$\overline{|V_{3ABC_aopen}|} = \begin{pmatrix} 0.9 \\ 0.97 \\ 1.01 \end{pmatrix} \cdot pu$$

$$\overline{\arg(V_{3ABC_aopen})} = \begin{pmatrix} -12.06 \\ -119.95 \\ 118.58 \end{pmatrix} \cdot deg$$

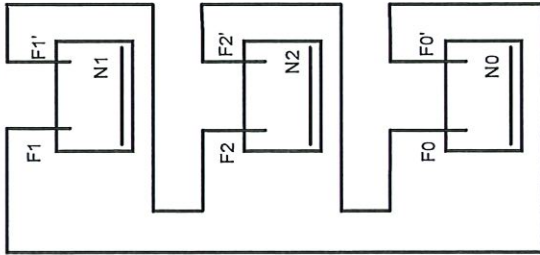
L19 10/18

From above:

$$\overrightarrow{|V_{3\text{newABC}}|} = \begin{pmatrix} 0.9 \\ 0.97 \cdot \text{pu} \\ 1.01 \end{pmatrix} \quad \overrightarrow{\arg(V_{3\text{newABC}})} = \begin{pmatrix} -12.06 \\ -119.95 \cdot \text{deg} \\ 118.58 \end{pmatrix}$$

same prefactor / all prefactors

Now solve the two phase open circuit below for the sequence currents:



$$I_1 := \frac{\hat{V}_{\text{equiv}}}{Z_{1FF'} + Z_{2FF'} + Z_{0FF'}}$$

$$I_1 = (0.2 - 0.12i) \cdot \text{pu}$$

$$|I_1| = 0.23 \cdot \text{pu} \quad \arg(I_1) = -31.79 \cdot \text{deg}$$

$$I_2 := I_1 \quad I_0 := I_1$$

$$I_{\text{abc}} := A_{012} \cdot \begin{pmatrix} I_0 \\ I_1 \\ I_2 \end{pmatrix}$$

$$\overrightarrow{I_{\text{abc}}} = \begin{pmatrix} 0.69 \\ 0 \\ 0 \end{pmatrix} \cdot \text{pu} \quad \overrightarrow{\arg(I_{\text{abc}})} = \begin{pmatrix} -31.79 \\ 81.87 \\ 81.87 \end{pmatrix} \cdot \text{deg}$$

$$V_{3\text{new1}} := E_2 + I_1 \cdot j \cdot (X_{1\text{Mach}} + X_{\Gamma})$$

$$V_{3\text{new2}} := 0 + I_2 \cdot j \cdot (X_{2\text{Mach}} + X_{\Gamma})$$

$$V_{3\text{new0}} := 0 + I_0 \cdot j \cdot (X_{0\text{Mach}} + X_{\Gamma} + 3 \cdot X_{n\text{Mach}})$$

$$V_{3\text{new1}} = (0.92 - 0.14i) \cdot \text{pu}$$

$$V_{3\text{new2}} = (0.03 + 0.05i) \cdot \text{pu}$$

$$V_{3\text{new0}} = (0.03 + 0.05i) \cdot \text{pu}$$

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$$V_{3\text{newABC}} := A_{012} \cdot \begin{pmatrix} V_{3\text{new0}} \\ V_{3\text{new1}} \\ V_{3\text{new2}} \end{pmatrix} \quad \overrightarrow{|V_{3\text{newABC}}|} = \begin{pmatrix} 0.98 \\ 0.9 \\ 0.9 \end{pmatrix} \cdot \text{pu} \quad \overrightarrow{\arg(V_{3\text{newABC}})} = \begin{pmatrix} -1.6 \\ -132.16 \\ 107.93 \end{pmatrix} \cdot \text{deg}$$

$$\Delta V_{ABC} := 1.0 \cdot \begin{pmatrix} 1 \\ 2 \\ a \end{pmatrix} - V_{3\text{newABC}} \quad \overrightarrow{|\Delta V_{ABC}|} = \begin{pmatrix} 0.03 \\ 0.22 \\ 0.22 \end{pmatrix} \cdot \text{pu}$$

$$\overrightarrow{\arg(\Delta V_{ABC})} = \begin{pmatrix} 58.21 \\ -61.27 \\ 177.7 \end{pmatrix} \cdot \text{deg}$$

Using Zbus approach

- Finding the current:

$$I_{1\text{bcopen}} := I_{\text{trans}} \left(\frac{Z_{1\text{pp}'}}{Z_{1\text{pp}'} + Z_{2\text{pp}'} + Z_{0\text{pp}'}} \right)$$

$$|I_{1\text{bcopen}}| = 0.23 \cdot \text{pu} \quad \arg(I_{1\text{bcopen}}) = -31.79 \cdot \text{deg}$$

$$I_{2\text{bcopen}} := I_{1\text{bcopen}} \quad I_{0\text{bcopen}} := I_{1\text{bcopen}}$$

$$I_{\text{ABC_bcopen}} := A_{012} \cdot \begin{pmatrix} I_{0\text{bcopen}} \\ I_{1\text{bcopen}} \\ I_{2\text{bcopen}} \end{pmatrix} \quad \overrightarrow{|I_{\text{ABC_bcopen}}|} = \begin{pmatrix} 0.69 \\ 0 \\ 0 \end{pmatrix} \quad \overrightarrow{\arg(I_{\text{ABC_bcopen}})} = \begin{pmatrix} -31.79 \\ 78.69 \\ 78.69 \end{pmatrix} \cdot \text{deg}$$

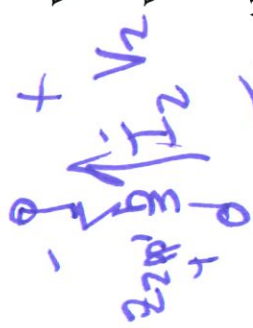
- Finding the voltage across the open circuit (from the sequence network connections):

$$V_{1\text{bcopen}} := I_{1\text{bcopen}} \cdot (Z_{2\text{pp}'} + Z_{0\text{pp}'}) \quad |V_{1\text{bcopen}}| = 0.4 \cdot \text{pu} \quad \arg(V_{1\text{bcopen}}) = 58.21 \cdot \text{deg}$$

V_{bcopen} = I₁ · Z_{pp'}
sequence networks in series

8/21 617 12/8

$0 - I_2 Z_{2pp}$



$$|V_{2bcopen}| = 0.16 \text{ pu} \quad \arg(V_{2bcopen}) = -121.79 \text{ deg}$$

$$|V_{0bcopen}| = 0.24 \text{ pu} \quad \arg(V_{0bcopen}) = -121.79 \text{ deg}$$

• Alternate way for finding the voltage across the open circuit (from the sequence network connections):

$$V_{1bcopenA} := I_{trans} \cdot \left[\frac{Z_{1pp} \cdot (Z_{2pp}' + Z_{0pp}')}{Z_{1pp}' + Z_{2pp}' + Z_{0pp}'} \right] \quad \arg(V_{1bcopenA}) = 58.21 \text{ deg}$$

$$V_{2bcopenA} := I_{trans} \cdot \left(\frac{-Z_{1pp}' \cdot Z_{2pp}'}{Z_{1pp}' + Z_{2pp}' + Z_{0pp}'} \right) \quad \arg(V_{2bcopenA}) = -121.79 \text{ deg}$$

$$V_{0bcopenA} := I_{trans} \cdot \left(\frac{-Z_{1pp}' \cdot Z_{0pp}'}{Z_{1pp}' + Z_{2pp}' + Z_{0pp}'} \right) \quad \arg(V_{0bcopenA}) = -121.79 \text{ deg}$$

Calculate change in voltage at each bus due to the two phase open

$$\Delta V_{1BC_Open} := Z_{bus1} \cdot \begin{pmatrix} 0 \\ \frac{V_{1bcopen}}{j \cdot X_{L1}} \\ -\frac{V_{1bcopen}}{j \cdot X_{L1}} \\ 0 \end{pmatrix} + \Delta V_{1BC_Open}$$

$$V_{1BC_Open} := \begin{pmatrix} V_1 \\ V_2 \\ V_3 \\ V_4 \end{pmatrix}$$

same as the single phase open

L19 13/18

$$\overrightarrow{|V1_{BC_Open}|} = \begin{pmatrix} 1.18 \\ 1.17 \\ 0.93 \\ 0.92 \end{pmatrix} \cdot \text{pu}$$

$$\overrightarrow{\arg(V1_{BC_Open})} = \begin{pmatrix} 12.34 \\ 11.69 \\ -8.41 \\ -9.47 \end{pmatrix} \cdot \text{deg}$$

$$V2_{BC_Open} := Z_{bus2} \cdot \begin{pmatrix} 0 \\ \frac{V2_{bcopen}}{j \cdot X_{L2}} \\ -\frac{V2_{bcopen}}{j \cdot X_{L2}} \\ 0 \end{pmatrix}$$

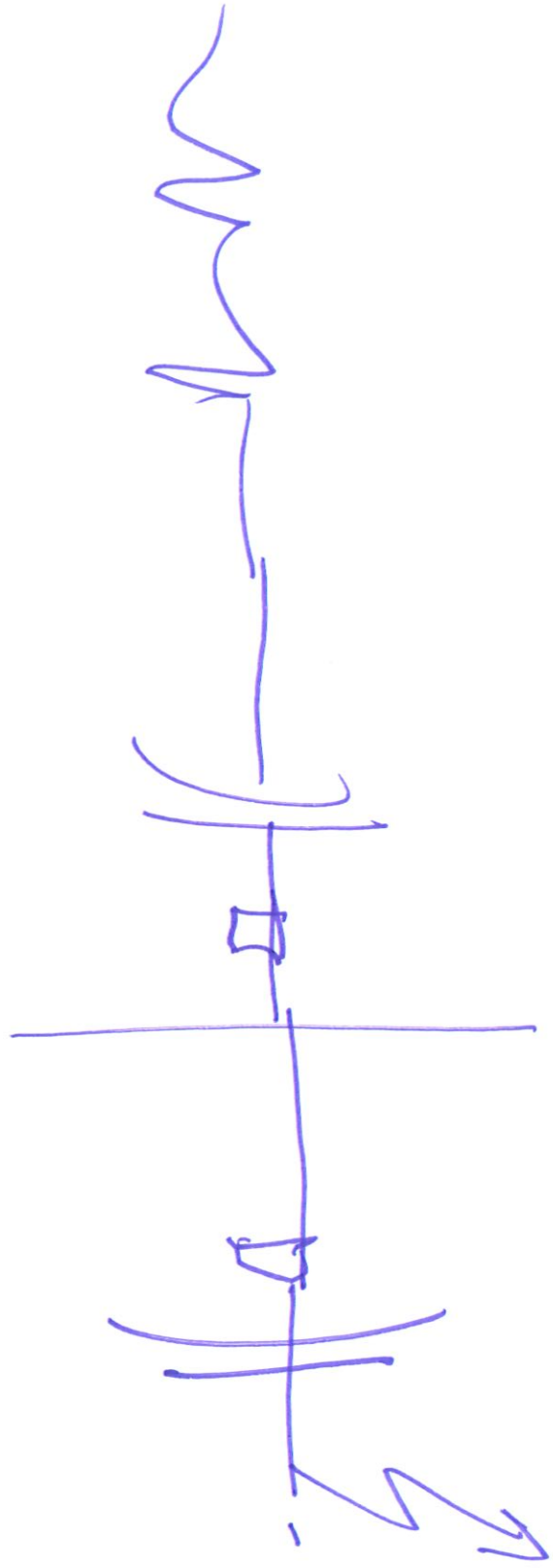
$$\overrightarrow{|V2_{BC_Open}|} = \begin{pmatrix} 0.05 \\ 0.06 \\ 0.06 \\ 0.05 \end{pmatrix} \cdot \text{pu}$$

$$\overrightarrow{\arg(V2_{BC_Open})} = \begin{pmatrix} -121.79 \\ -121.79 \\ 58.21 \\ 58.21 \end{pmatrix} \cdot \text{deg}$$

$$V0_{BC_Open} := Z_{bus0} \cdot \begin{pmatrix} 0 \\ \frac{V0_{bcopen}}{j \cdot X_{L0}} \\ -\frac{V0_{bcopen}}{j \cdot X_{L0}} \\ 0 \end{pmatrix}$$

$$\overrightarrow{|V0_{BC_Open}|} = \begin{pmatrix} 0.04 \\ 0.06 \\ 0.06 \\ 0.04 \end{pmatrix} \cdot \text{pu}$$

$$\overrightarrow{\arg(V0_{BC_Open})} = \begin{pmatrix} -121.79 \\ -121.79 \\ 58.21 \\ 58.21 \end{pmatrix} \cdot \text{deg}$$



Electromagnetic Transient Simulators (EMT)

- serves faults and Simultaneous faults may be more easily studied with EMT Simulator

21/9/18
L19 617

U I	What Are Electromagnetic Transients?	ECE 523 Lecture 19
	<ul style="list-style-type: none">• Power systems normally in steady-state<ul style="list-style-type: none">» Or Quasi-steady-state» Allows use of RMS phasors• Switching, operations, faults, lightning,<ul style="list-style-type: none">» Response frequencies from DC to MHz» Generally dies out rapidly (higher freq.)» Large voltage and currents are possible» RLC response to change in voltage or current	
Intro to EMTP simulation	1	Fall 2023

1

U I	Why Analyze Transients?	ECE 523 Lecture 19
	<ul style="list-style-type: none">• Power systems operate in sinusoidal <u>steady-state majority of time</u>• Sudden changes cause large voltage and currents<ul style="list-style-type: none">» Including faults and response to clearing faults• Protection decisions before transients die out → or even based on transients	
Intro to EMTP simulation	2	Fall 2023

2

8/17/18
517

U I	Circuit Simulation	ECE 523 Lecture 19
	<ul style="list-style-type: none">• Output often as time domain waveforms• Often want instantaneous peak values of $v(t)$ and $i(t)$<ul style="list-style-type: none">» Or in some cases energy» Peaks missed with RMS or harmonic solutions	
Intro to EMTP simulation	3	Fall 2023

3



U I	Transient Network Analyzer (TNA)	ECE 523 Lecture 19
	<ul style="list-style-type: none">• Predates use of digital computers<ul style="list-style-type: none">» Analog computer model» Hybrid: digital controls• Real-time digital simulators • Cost limits to small class of problems<ul style="list-style-type: none">» Closed loop testing of control hardware	
Intro to EMTP simulation	4	Fall 2023

4

L19 18/18
617

U I	Off-Line Time Domain Simulation	ECE 523 Lecture 19
	<ul style="list-style-type: none">• Digital computer simulation of transients• General purpose equation solvers: MATLAB, MathCAD• Analog electronic and integrated circuits: SPICE, Saber• Not really designed for power system transients	
Intro to EMTP simulation		Fall 2023

5

U I	The Electromagnetic Transients Program-EMTP	ECE 523 Lecture 19
	<ul style="list-style-type: none">• Hermann Dommel, Germany, then BPA• Numerically solves difference equations• Fixed versus variable time-step• EMTP has become an industry standard (verified models)• Modules in other power systems programs• Matlab toolbox	
Intro to EMTP simulation		Fall 2023

6