

## ECE 528 - Understanding Power Quality

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# Today: Harmonic fundamentals FPQ chapters 6 and 7, PSQ chapters 5 and 6



- · Background and sources
- · How current distortion creates voltage distortion
- · Harmonic impacts general principals
- Power system quantities with harmonics
- · Harmonic Indices
- Harmonic phase sequence
- Triplen harmonics
- · Harmonic sources

#### References:

- [1] "Fundamentals of Electric Power Quality" by Surya Santoso
- [2] "Harmonics and how they relate to Power Factor", W. Mack Grady and Robert J. Gilleskie, 1993 http://users.ece.utexas.edu/~grady/POWERFAC.pdf

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## Text updates

- Both texts mention IEEE-519-1992: *IEEE Recommended Practice and Requirements for Harmonic Control in Electric Power Systems.*
- The latest version of this standard is IEEE-519-2022: IEEE Standard for Harmonic Control in Electric Power Systems.
  - Get a copy of this standard from the IEEEXplore site via the UI library web site. We'll be using it.

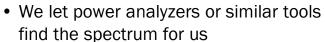
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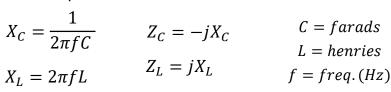
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## Harmonics: a mathematical tool

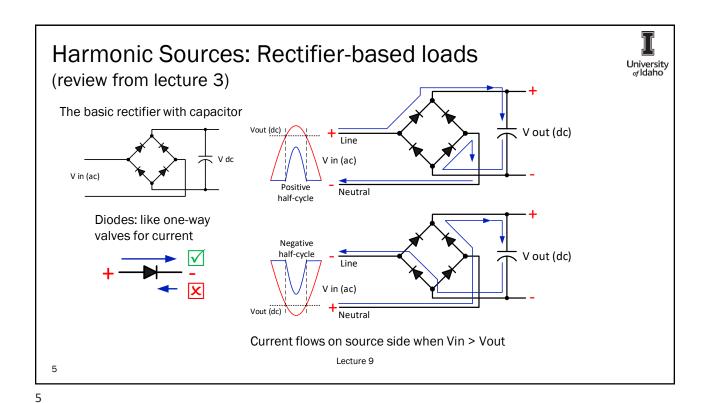
- Power systems are frequency-dependent
- Any periodic waveform can be broken down into its harmonic components
- Finding a waveform's "spectrum" lets us analyze the system one frequency at a time





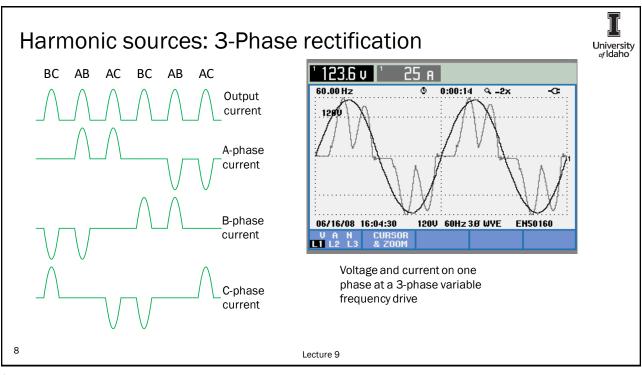
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Net current =  $1^{st} + 5^{th} + 7^{th}$ 



Harmonic sources: Rectifier-based loads University of Idaho (review from lecture 3) Diode-bridge rectifier with capacitor Input AC Note - current is Voltage "non-linear" V dc Input AC V in (ac) Current DC Voltage **Rectified Voltage** Current between rectifier and capacitor Lecture 9 6

# Harmonic sources: 3-Phase rectification Line-to-line voltages Rectifier connected line-to-line Only the pair of phases with the highest line-to-line voltage conducts at any given time Rectifier output current Line-to-line voltage conducts at any given time





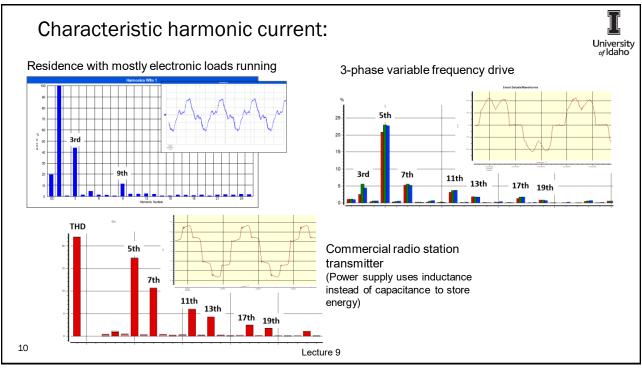
## Characteristic harmonics

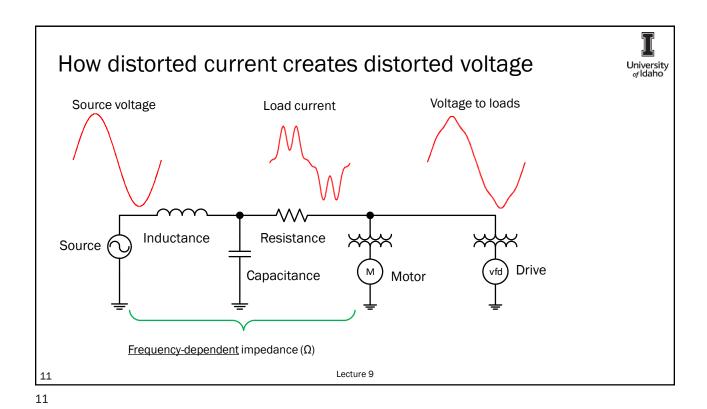
- Significant even harmonics are rare
  - Usually means there is a half wave rectifier in use, or a rectifier has a diode that has failed open
- Single-phase loads tend to produce harmonics that are odd multiples of three (3<sup>rd</sup>, 9<sup>th</sup>, 15<sup>th</sup>,...)
- Three-phase loads tend to produce harmonics that satisfy 6n+/-1 where n is 1, 2, 3... (5<sup>th</sup>, 7<sup>th</sup>, 11<sup>th</sup>, 13<sup>th</sup>,...)

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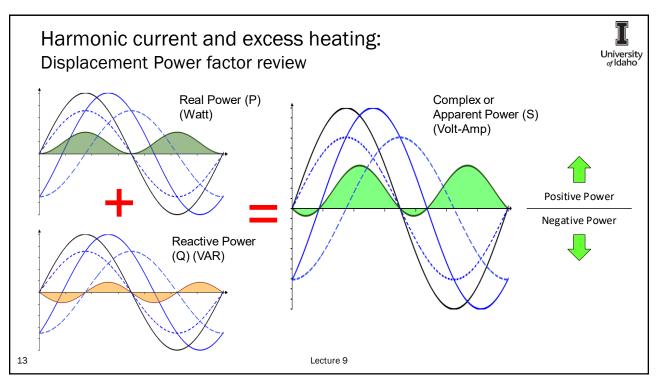


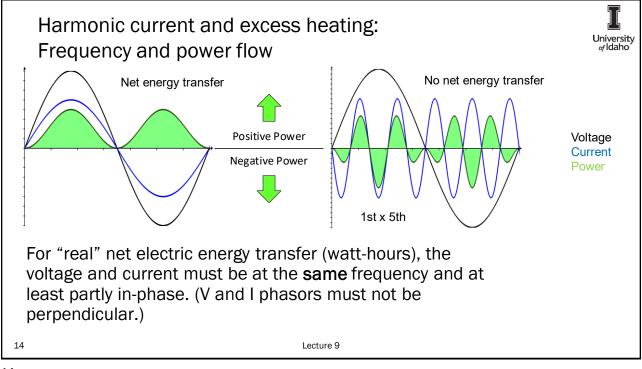
# Harmonic impacts – general principals:



- · Physical impacts tend to be chronic rather than acute
  - Increased heating
    - May cause nuisance operation of fuses, circuit-breakers
  - Reduced equipment lifespan
  - Reduced system capacity
  - Transformers may need to be derated
  - Reduced voltage sag ride through in power supplies
    - Due to "flat-topping"
  - Resonance issues
- Economic impacts
  - Over sizing equipment & conductors
  - Shortened equipment life
  - Losses & inefficiencies

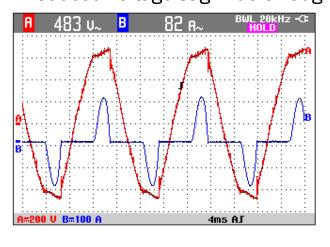
For more on how increased operating temperature reduces the lifespan of components read about the use of the Arrhenius equation in product testing.





# Harmonic current and "flat-topping": Reduced voltage sag "ride through"





- Note the "flat" top of the voltage waveform caused by the current shown.
- The "flat-topping" reduces the peak DC voltage in this and other rectifiers, reducing the energy stored and thereby reducing their voltage sag ridethrough capability.

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## Harmonic phase sequence



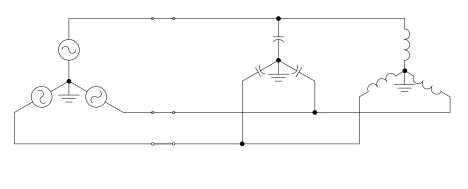
- Remember unbalanced 60Hz voltages can be broken down into positive, negative, and zero-sequence components
- Harmonic voltages and currents, even if perfectly "balanced," are also classified as either positive, negative, or zero sequence
- Negative sequence and zero sequence harmonics have unique impacts.

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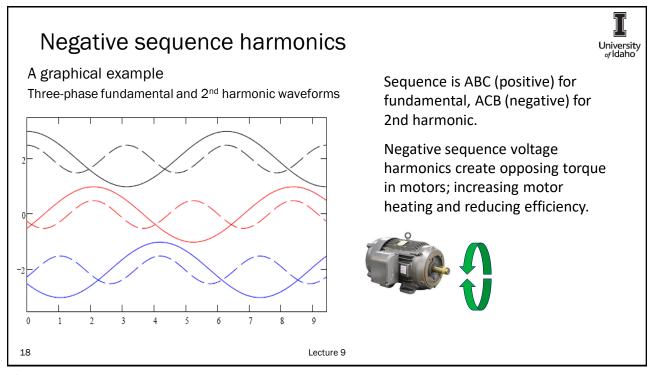
# Harmonic phase sequence

 Harmonic phase sequence becomes important for motors and on grounded-wye systems



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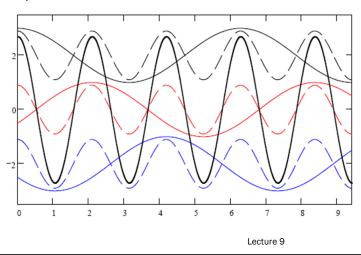


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# Zero sequence harmonics in three-phase systems

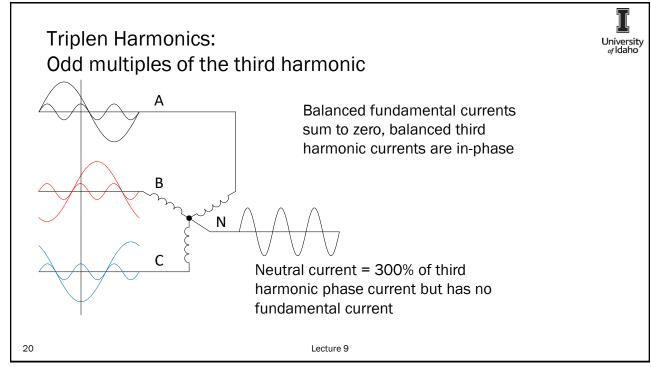
"Triplen" harmonics: odd multiples of the third harmonic

Three-phase fundamental and 3rd harmonic waveforms



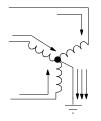
Third harmonic current waveforms are in phase on all three phases – zero sequence – they will add in the neutral

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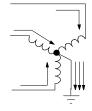


# Triplen harmonics:









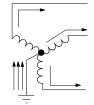


Figure from [1]

- Balanced triplen harmonic currents are blocked by delta transformer windings, but produce heat in those windings
- Unbalanced harmonic currents and voltages may not produce the same effects as their balanced counterparts.
  - Unbalanced harmonic voltages and currents can be broken down into a set of positive, negative, and zero sequence harmonic symmetrical components – more complex analysis

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# Positive, negative, and zero sequence harmonics



Positive	Negative	Zero
1	2	3
4	5	6
7	8	9
10	11	12
13	14	15
16	17	18

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## Harmonics analysis in power systems - overview

- Analysis range usually up to 50<sup>th</sup>
  - It can be helpful to look for higher harmonics
- Most non-linear elements in the system are end-user loads power electronics
  - IBR Inverter Based Resources may also be an issue
- When referring to "harmonics" we may need to specify current, voltage, or power
- Harmonic analysis is location-specific because resulting voltage distortion depends on system impedance

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# Power system quantities with harmonics

• Apparent power (S): Volt-Amps, VA

$$S = V_{rms} \cdot I_{rms}$$

- Not harmonic-specific or dependent
  - Could have voltage and current waveforms made up of different harmonics

$$V_{rms}$$
 =  $\sqrt{\sum_{h=1}^{h_{max}} {V_h}^2}$ 

V<sub>h</sub> is the <u>RMS value</u> of the individual harmonic voltages.

FPQ includes several apparent power and distortion power values; see pgs. 208-212.

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## Power system quantities with harmonics

• Active power (P) - Watts, W

$$P = \frac{1}{T} \cdot \int_{0}^{T} v(t) \cdot i(t) dt \qquad P = \sum_{h} (V_{h\_rms} \cdot I_{h\_rms} \cdot \cos \theta_{h})$$

- Harmonic specific only current in phase with, <u>and</u> at the same frequency as the voltage can deliver useful work: REAL power
- Other combinations (different frequencies or voltage and current phasors that are perpendicular create reactive or distortion power
  - However, ALL current contributes to system losses though: I<sup>2</sup>R
- Some instruments or software distinguish fundamental frequency power from harmonic contributions
- It is usually accurate enough to only use fundamental values when calculating active power (P)
- Download and experiment with PF Teaching Tool and Power Quality Teaching Toy via class website.

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## **Power Factor**

Displacement power factor -Due to <u>phase shift</u> between V and I <u>at fundamental frequency</u>

$$DPF = cos\theta$$

True Power Factor – includes harmonics

$$PF = \frac{P}{S} = \frac{Active\_power}{Apparent\_power}$$

True Power Factor may also be called "Power Factor" or "Total Power Factor"

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## Total harmonic distortion



• THD - common measure of harmonic distortion

THD = 
$$\frac{\int_{h=2}^{h_{max}} M_h^2}{M_1} = \frac{\sqrt{M_2^2 + M_3^2 + ... + M_{hmax}^2}}{M_1}$$

 $M_x$  = RMS voltage or current at a given harmonic number "x"

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## **Distortion Power Factor**



 Relates RMS value of the distorted current, including the fundamental current, to RMS value of the fundamental current only (not in texts)

$$\frac{I_1}{I_{RMS}} = PF_{dist}$$

$$I_{RMS} = \sqrt{\sum_{h=1}^{h_{max}} I_h^2} = I_1 \cdot \sqrt{1 + THD_1^2}$$

$$PF_{dist} = \frac{1}{\sqrt{1 + THD_{I}^{2}}}$$

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## The impact of harmonic current on true power factor

- Typical power systems:
  - P₁≈P<sub>total</sub>: nearly all real power flow is at the fundamental frequency
  - Voltage distortion is low
- Using these generalities, we can say:

$$PF_{true} = \frac{P_1}{V_{1rms} \cdot I_{1rms}} \cdot \frac{1}{\sqrt{1 + THD_I^2}} = PF_{disp} \cdot PF_{dist}$$

Therefore, current distortion results in a lower true power factor

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#### Total demand distortion



- TDD addresses the fact that very small and very distorted currents are not normally a problem
- $\bullet$  TDD provides a fixed threshold when used in limits because  $I_{L}$  is a fixed value for a given facility

$$TDD = \frac{\sqrt{\sum_{h=2}^{h_{max}} I_h^2}}{I_I}$$

 $\int_{\frac{h=2}{L}}^{h_{\text{max}}} I_h^2$   $I_L = \underbrace{\text{peak demand}}_{\text{load current (RMS)}}$ at fundamental frequency

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# Coming up...

- More power system quantities with harmonics
- Locating harmonic sources
- System response
- Transformer derating
- Interharmonics
- Mitigation

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